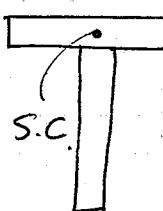
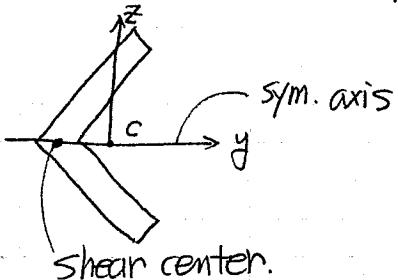


* Simple rule for S.C.

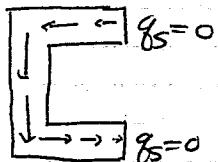
- Shear center is on the sym. axis.



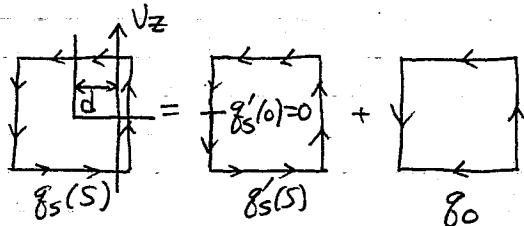
- If all walls meet at a single location, S.C. is the intersection point.

5.3. Closed Thin-Walled Section

Open section



Closed section (no free edge)



$$g_s = g'_s + g_o$$

↳ assuming a free edge

$$V_z \cdot d = 2\bar{A}g_o + \text{moment from } g'_s \quad (\text{a})$$

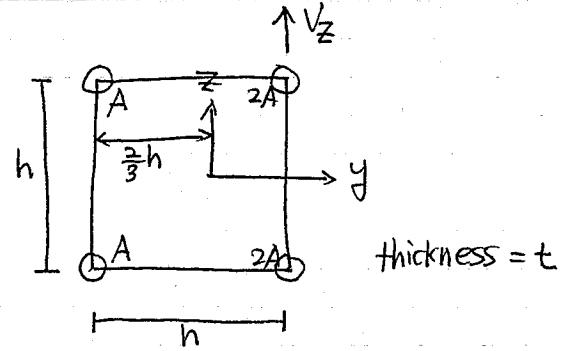
1. Shear Center

Apply V_z at shear center \Rightarrow no twist

$$\theta = 0 = \frac{1}{2\bar{A}} \int \frac{g}{E} ds$$

Use (a) to calculate shear center

Ex)



$$I_y = \frac{3}{2}Ah^2, \quad I_z = \frac{4}{3}Ah^2$$

① Assumed open section

$$\begin{aligned} & g'_{12} = 0, \quad g'_{23} = -\frac{V_z A \cdot \frac{h}{2}}{\frac{3}{2} Ah^2} = -\frac{V_z}{3h}, \quad g'_{34} = 0 \\ & g'_{41} = -\frac{V_z A \left(\frac{h}{2}\right)}{\frac{3}{2} Ah^2} = \frac{2V_z}{3h} \end{aligned}$$

② moment by $g = g' + g_o = \text{moment by } V_z$.

$$V_z \cdot 0 = g'_{23} \cdot h^2 + 2\bar{A}g_o$$

$$\Rightarrow -\frac{V_z}{3h} \cdot h^2 + 2h^2g_o = 0$$

$$\therefore g_o = \frac{V_z}{6h} \quad //$$

∴ Shear flow

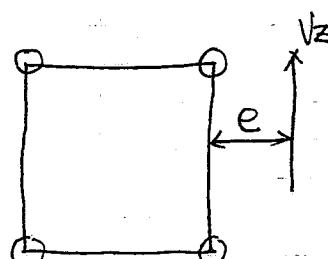
$$g_{12} = g'_{12} + g_o = \frac{V_z}{2h}$$

$$g_{23} = g'_{23} + g_o = -\frac{V_z}{2h}$$

$$g_{34} = g'_{34} + g_o = \frac{V_z}{2h}$$

$$g_{41} = g'_{41} + g_o = \frac{5V_z}{6h}$$

③ Shear center



Moment equal.

$$V_z e = g_{23}' h^2 + 2h^2 g_0$$

$$= -\frac{V_z}{3h} h^2 + 2h^2 g_0$$

$$\Rightarrow g_0 = \frac{V_z}{6h^2} (h+3e) \quad \text{g_0 varies according to e}$$

$$\Rightarrow g_{12} = g_0 = \frac{V_z}{6h^2} (h+3e)$$

$$g_{23} = \frac{V_z}{6h^2} (-h+3e)$$

$$g_{34} = \frac{V_z}{6h^2} (h+3e)$$

$$g_{41} = \frac{V_z}{6h^2} (5h+3e)$$

- calculate \$e\$ from zero twist cond.

$$\theta = \frac{1}{2GA} (g_{12} \frac{h}{t} + g_{23} \frac{h}{t} + g_{34} \frac{h}{t} + g_{41} \frac{h}{t}) = 0$$

$$\Rightarrow g_{12} + g_{23} + g_{34} + g_{41} = 0$$

$$\Rightarrow e = -\frac{1}{2}h \quad \text{"inside of section"}$$

$$y_{sc} = \frac{h}{3} + e = -\frac{h}{6}$$

$$z_{sc} = 0 \quad (\text{sym.})$$